

A FAST FACTORIZATION ALGORITHM FOR COMPOSITE INTEGERS OF THE FORM $N = P \times Q$, WHERE P AND Q ARE PRIMES AND $N \bmod 6 = +1$

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ABSTRACT

The factorization of integers of the form $N = p \times q$, where p and q are primes is of special interest in cryptography and algebra. It is well known facts that a prime number P is in one of two series; $P \bmod 6 = \pm 1$, and each prime P generate a series of composite numbers of the form $N \bmod 6 = \pm 1$.

Based on the concept of Integer Absolute Position, which define the position of an integer N , where $N \bmod 6 = \pm 1$, within its series as $AP(N) = N \div 6$, we develop a fast factorization algorithm for composite integers of the form $N = p \times q$, where p and q are primes and $N \bmod 6 = +1$.

In comparing the developed algorithm with the well known factorization algorithm Pollard Rho, the developed algorithm out performs Pollard Rho under certain conditions, namely, when the value of the smallest factor p/q is small or when the values of p and q are relatively close.

KEYWORDS: Form $N = P \times Q$, Where P and Q are Primes and $N \bmod 6 = +1$, Cryptography and Algebra